# MARK SCHEME for the October/November 2010 question paper for the guidance of teachers 

## 9702 PHYSICS

9702/22
Paper 2 (AS Structured Questions), maximum raw mark 60

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[2]
B1 [1]
B1 [1]
B1 [1]

3 (a) point at which (whole) weight (of body) (allow mass for weight) M1 appears / seems to act ... (for mass need 'appears to be concentrated')
(b) (i) point C shown at centre of rectangle $\pm 5 \mathrm{~mm}$
(ii) arrow vertically downwards, from C with arrow starting from the same margin of error as in (b)(i)
(c) (i) reaction / upwards / supporting / normal reaction force M1
friction
force(s) at the rod A1
(ii) comes to rest with (line of action of) weight acting through rod allow $C$ vertically below the rod
so that weight does not have a moment about the pivot / rod

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4
(a) energy $=$ average force $\times$ extension
B1

$$
=1 / 2 \times F \times x
$$

B1
(Hooke's law) extension proportional to (applied) force B1

$$
\text { hence } F=k x
$$ B1

so $E=1 / 2 k x^{2}$ A0
(b) (i) correct area shaded B1
(ii) $1.0 \mathrm{~cm}^{2}$ represents 1.0 mJ or correct units used in calculation $E_{S}=6.4 \pm 0.2 \mathrm{~mJ}$ C1
(for answer $> \pm 0.2 \mathrm{~mJ}$ but $\leq \pm 0.4 \mathrm{~mJ}$, then allow $2 / 3$ marks)
(iii) arrangement of atoms / molecules is changed B1

5 (a) (i) distance (of point on wave) from rest / equilibrium position
B1
(ii) distance moved by wave energy / wavefront during one cycle of the source or minimum distance between two points with the same phase or between adjacent crests or troughs

B1
(b) (i) $T=0.60 \mathrm{~s} \quad \mathrm{~B} 1$
(ii) $\lambda=4.0 \mathrm{~cm}$

B1
(iii) either $v=\lambda / T$ or $v=f \lambda$ and $f=1 / T \quad$ C1 $v=6.7 \mathrm{~cm} \mathrm{~s}^{-1}$

A1
(c) (i) amplitude is decreasing M1
so, it is losing power A1
(ii) intensity $\sim(\text { amplitude })^{2} \quad$ C1
ratio $=2.0^{2} / 1.1^{2}$
C1
$=3.3$

$$
=3.3
$$

A1
[3]

6 (a) (i) at $22.5^{\circ} \mathrm{C}, R_{\mathrm{T}}=1600 \Omega$ or $1.6 \mathrm{k} \Omega$
C1
total resistance $=800 \Omega$
A1
$\begin{array}{ll}\text { (ii) either use of potential divider formula or } & \text { current }=9 / 2000(4.5 \mathrm{~mA}) \\ V=(0.8 / 2.0) \times 9 & V=(9 / 2000) \times 800\end{array}$
$V=(0.8 / 2.0) \times 9$
$V=(9 / 2000) \times 800$
$=3.6 \mathrm{~V}$
$=3.6 \mathrm{~V}$
A1
[2]
$\begin{array}{ll}\text { (b) (i) total resistance }=4 / 5 \times 1200 & \mathrm{C} 1 \\ =960 \Omega & \mathrm{~A} 1\end{array}$
(ii) for parallel combination, $1 / 960=1 / 1600+1 / R_{T}$
$R_{\mathrm{T}}=2400 \Omega / 2.4 \mathrm{k} \Omega$
C1
temperature $=11^{\circ} \mathrm{C}$ A1
[2]
[2]

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(c) e.g. only small part of scale used / small sensitivity non-linear B1
(any two sensible suggestions, 1 each, max 2)
(a) (i) most $\alpha$-particles were deviated through small angles B2 (allow 1 mark for 'straight through' / undeviated)
(ii) small fraction of $\alpha$-particles deviated through large angles M1 greater than $90^{\circ}$ (allow rebound back)

A1
(b) e.g. $\beta$-particles have a range of energies
$\beta$-particles deviated by (orbital) electrons
$\beta$-particle has (very) small mass
(any two sensible suggestions, 1 each, max 2) B2

Do not allow $\beta$-particles have negative charge or $\beta$-particles have high speed

