



ADVANCED
General Certificate of Education
2014

Physics

Assessment Unit A2 1
assessing

Momentum, Thermal Physics, Circular Motion,
Oscillations and Atomic and Nuclear Physics

[AY211]

TUESDAY 20 MAY, MORNING

MARK SCHEME

Subject-specific Instructions

In numerical problems, the marks for the intermediate steps shown in the mark scheme are for the benefit of candidates who do not obtain the final correct answer. A correct answer and unit, if obtained from a valid starting-point, gets full credit, even if all the intermediate steps are not shown. It is not necessary to quote correct units for intermediate numerical quantities.

Note that this “correct answer” rule does not apply for formal proofs and derivations, which must be valid in all stages to obtain full credit.

Do not reward wrong physics. No credit is given for consistent substitution of numerical data, or subsequent arithmetic, **in a physically incorrect equation**. However, answers to subsequent stages of questions that are consistent with an earlier incorrect numerical answer, and are based on physically correct equation, must gain full credit. Designate this by writing **ECF** (Error Carried Forward) by your text marks.

The normal penalty for an arithmetical and/or unit error is to lose the mark(s) for the answer/unit line. Substitution errors lose both the substitution and answer marks, but 10^n errors (e.g. writing 550 nm as 550×10^{-6} m) count only as arithmetical slips and lose the answer mark.

1	(a) $p = 1.06 \times 10^{-22}$	[1]	AVAILABLE MARKS		
	(b) $p(Pb) + p(\alpha) = 0$ or some statement of momentum conservation mass of Pb = 51.5(mass α) or $206(1.66 \times 10^{-27})$ etc. $v = -305$ to -311 ($m s^{-1}$) magnitude [1] and direction [1] accept “-”	[1] [1] [2]	[4]		
	(c) Inelastic KE not conserved (Elastic $\rightarrow [0]/[2]$)	[1] [1]	[2]	7	
2	(a) (i) Diagram with labels to show: the fixed mass of gas the means of measuring and varying pressure the means of measuring volume/length	[1] [1] [1]	[3]		
	(ii) Temperature or volume should be constant Either increase pressure slowly or wait for a length of time before taking readings	[1] [1]	[2]		
	(b) (i) Boyle's Law or $pV = \text{const.}$ or $p/l = \text{const.}$	[1]			
	(ii) $pV = nRT$ or Theoretical gradient = $nRT/A = 97.1T$ Actual gradient = $230/0.08 = 2875$ kPa cm = 28750 Pa m $T = 296$ K ± 5 K (or stated correctly in $^{\circ}\text{C}$) S.E. Use of $\frac{1}{l}$ [-1]	[1] [1] [1]	[3]	9	
3	$Q = 0.5 \times 4190 \times 6.9 = 14455.5$ J $Q/t = 14455.5/(20 \times 60) = 12.0$ J s^{-1} $12.0 \times 30 \times 60 = 0.35 \times 4190 \times \Delta\theta$ $\Delta\theta = 14.7$ K Temperature = $22 - 14.7 = 7.3^{\circ}\text{C}$ S.E. $\rightarrow 12.1^{\circ}\text{C}$ [3]/[5]	subs or ans ecf Q sub ecf Q/t Ans	[1] [1] [1] [1] [1]	[5]	5
4	(a) $\omega = \theta/t = 100\pi/(36.3 \times 60)$ $\omega = 0.14$ (rad s^{-1})	eqn or subs	[1] [1]	[2]	
	(b) $r = 1.61 \times 10^3/(2\pi) = 256$ m $F = m\omega^2 r = 450(0.14)^2(256)$ $F = 2.3$ kN Penalise circumference/radius confusion once only in (a) and (b)	eqn or subs eqn or subs ans	[1] [1] [1]	[3]	5
5	(a) The object executes simple harmonic motion acceleration is proportional to displacement acceleration acts in the opposite direction to the displacement	[1] [1] [1]	[3]		
	(b) (i) Fig. 5.1 $T = 0.025$ s Fig. 5.2 grad = $20000/0.32$ or $a = -\omega^2 x$ $\omega = 250$ rad s^{-1} $T = 2\pi/250 = 0.025$ s ecf (ω)	[1] [1] [1] [1]	[4]		
	(ii) The amplitude (0.16 m) is the same on both graphs	[1]			8

				AVAILABLE MARKS	
				[1]	[2]
6	(a) (i) This is to determine the impact of the glass supporting plate on the results Corrected effect = with foil – without foil		[1]	[1]	
	(ii) Too many scintillations to count per minute		[1]		
	(iii) The alpha source is radioactive Results have to be adjusted up to compensate	[1]	[1]	[2]	
	(b) Most α particles pass straight through or small number significantly deflected means most of atom is empty space/nucleus is small or massive Backscattering positive	[1]	[1]	[1]	8
7	(a) (i) It is not possible to know when a particular nucleus will decay Or similar		[1]		
	(ii) It reduces at a rate proportional to its value/by a fixed fraction per unit time etc.		[1]		
	(b) (i) Generator of a random event, e.g. dice, random number generator, coin, burette and water, voltage across a capacitor	[1]			
	A large number (≥ 100) events generated for first cycle		[1]		
	A particular outcome(s) designated as a decay Number of events generated (cycle 2) = number in cycle 1 – number of decays Repeat for a number of cycles	[1]	[1]	[4]	
	(ii) Graph (must have y-intercept) number of events against cycle number Determine the time to fall by a certain fraction Repeat (two more times) and the same time should be obtained if exponential or Calculate $\ln(\text{number of events})$ Graph $\ln(\text{number of events})$ against cycle number If exponential get a linear graph of negative slope	[1]	[1]	[1]	
	(c) $\lambda = 0.693/51(\times 24 \times 3600) = 0.0136 \text{ day}^{-1} = (1.57 \times 10^{-7} \text{ s}^{-1})$ $A_0 = 1.57 \times 10^{-7} \times N = 9.40 \times 10^{18} \text{ Bq}$ subs or ans $A = 9.27 \times 10^{18} \text{ (Bq)}$	[1]	[1]	[3]	12
8	(a) Mass defect = 0.213 u Mass defect = $3.54 \times 10^{-28} \text{ kg}$ ecf Δm in u $E = \Delta mc^2 = 3.54 \times 10^{-28} \times (3.00 \times 10^8)^2$ eqn or subs $E = 3.19 \times 10^{-11} \text{ (J)}$	[1]	[1]	[1]	4
	(b) $1.00 \text{ kg} = 1/(235.044 \times 1.66 \times 10^{-27}) = 2.56 \times 10^{24} \text{ nuclei}$ subs or ans $E = 8.18 \times 10^{13}$ ecf number nuclei and (a)	[1]	[1]	[2]	6

				AVAILABLE MARKS
9	(a) Function: to absorb neutrons Movement: to sustain criticality and safety shutdown	[1]	[1]	[2]
	(b) Fuel rods individually are subcritical mass/size or Single mass would be supercritical mass/size		[1]	
	(c) (i) To slow neutrons so U-235 absorb neutrons	[1]	[1]	
	(ii) Coolant to remove thermal energy from reactor	$[\frac{1}{2}]$	$[\frac{1}{2}]$	
		Round down	[3]	

Quality of written communication

2 marks

The candidate expresses ideas clearly and fluently, through well-linked sentences and paragraphs. Arguments are generally relevant and well structured. There are few errors of grammar, punctuation and spelling.

1 mark

The candidate expresses ideas clearly, if not always fluently. There are some errors in grammar, punctuation and spelling, but not such as to suggest weakness in these areas.

0 marks

The candidate expresses ideas satisfactorily, but without precision. Arguments may be of doubtful relevance or obscurely presented. Errors in grammar, punctuation and spelling are sufficiently intrusive to disrupt the understanding of the passage.

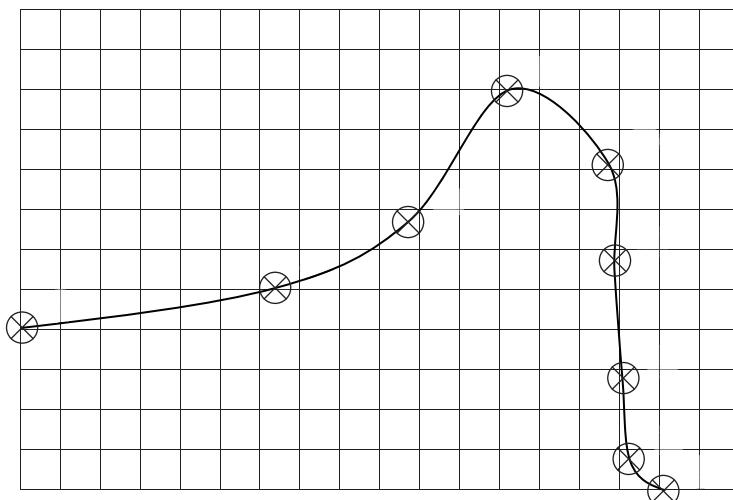
[2] 8

10	(a) (i) Nuclei must be confined within a finite volume to increase the chance of collision with sufficient energy to overcome the electrostatic repulsion	[1]	[1]	[2]
	(ii) (Gravitational confinement:) large mass (to confine and heat the fuel)	[1]		
	(Inertial confinement:) fuel pellet bombarded by laser			
	(ion) beam	[1]		
	(Magnetic confinement:) magnetic bottle (tokamak)			
	(heated electrically)	[1]	[3]	
(b)	$4.48 \times 10^{-14} = \frac{3}{2} \times 1.38 \times 10^{-23} \times T$	subs [1]		
	$T = 2.16 \times 10^9 \text{ K}$	[1]	[2]	7

- 11 (a) Energy $6.77 \text{ MeV} = 1.08 \times 10^{-12} \text{ J}$ MeV \rightarrow J [1]
 use of $KE = \frac{1}{2}mv^2$ [1]
 $v = 1.81 \times 10^7 \text{ (ms}^{-1}\text{)}$ ecf energy [1]
 $a = R/v^3 = 56.8 \times 10^{-3}/(1.81 \times 10^7)^3 = 9.64 \times 10^{-24}$ ecf v [1] [4]
 Penalty [-1] for using wrong isotope

AVAILABLE MARKS

(b) (i)



[1]

Penalty for drawing point-to-point with straight lines [-1]

(ii) $37.5 \text{ mm} < \text{Range} < 39 \text{ mm}$ [1]

(iii) Ionisation efficiency increases as the alpha particle's velocity decreases to a certain value (after which it falls rapidly to zero) [1]

(c) (i) mapping to $y = mx + c$ [1]
 $\text{grad} = 10 - (-3)/(39 - 30)$ } [1]
 $\text{grad} \sim 1.4 \quad \text{ans}$ } [1]
 intercept calculated using their gradient and a point from the best-fit line [1]
 intercept ~ -45 ans [1] [4]

(ii) $\log 1.41 \times 10^{17} = 17.1$ ans [1]
 $-45 + 1.4(90/(4.27)^2) = 16.5$ subs [1]
 stating $17.2 \sim 16.0$ therefore consistent [1]
 $\frac{17.1 - 16.5}{17.1} \times \frac{100}{1} = 3.5\%$ [1] [4]

15

or

$$Z = 90 \quad (92 - 2)$$

$$\frac{\sqrt{4.27}}{1.4} (\log(1.4 \times 10^{17}) + 45) = 91.5$$

stating $91.5 \sim 90$

$$\frac{91.5 - 90}{90} \times \frac{100}{1} = 1.7\%$$

Using $Z = 92$ penalty [-1] only

Other alternatives are acceptable

Total

90